

<b>Course Code</b>	<b>GP 116</b>		
<b>Course Title</b>	<b>Linear Algebra</b>		
<b>No. of Credits</b>	<b>3</b>		
<b>Pre-requisites</b>	<b>-</b>		
<b>Compulsory/Optional</b>	<b>Compulsory</b>		
<p><b>Aim(s):</b> To encourage students to develop a working knowledge of the central ideas of linear algebra: vector spaces, linear transformations, orthogonality, eigenvalues, eigenvectors and canonical forms and the applications of these ideas in science and engineering</p>			
<p><b>Intended Learning Outcomes:</b> On successful completion of the course, the students should be able to;</p> <ul style="list-style-type: none"> <li>• Apply the knowledge of matrices, Gaussian reduction and determinants to solve systems of linear equations.</li> <li>• Apply the properties of vector spaces and to generalize the concepts of Euclidean geometry to arbitrary vector spaces.</li> <li>• Identify linear transformations, represent them in terms of matrices, and interpret their geometric aspects.</li> <li>• Calculate eigenvalues and eigenvectors of matrices and linear transformations and apply the concepts in physical situations.</li> <li>• Prove eigenvalue properties of real symmetric matrices and apply them in quadratic forms.</li> </ul>			
<p><b>Time Allocation (Hours):</b> Lectures 36   Tutorials    Practical    Assignments 18</p>			
<p><b>Course content/Course description:</b></p> <ul style="list-style-type: none"> <li>• <b>Matrix Algebra:</b> Operations, elementary matrices, inverse, partitioned matrices</li> <li>• <b>Determinants:</b> Introduction and properties.</li> <li>• <b>Vector spaces:</b> Definition, subspaces, linear independence and spanning, basis, change of basis, normed spaces, inner product spaces, Gram-Schmidt orthonormalization.</li> <li>• <b>Linear Transformations:</b> Introduction, matrix representation, operations of linear transformations, change of basis.</li> <li>• <b>System of linear equations:</b> Gauss and Jordan elimination; LU factorization, least square approximations, ill-conditioned and over-determined systems.</li> <li>• <b>Characteristic value problem:</b> Computing eigenvalues and eigenvectors, Eigen-basis, diagonalization, matrix exponentials.</li> <li>• <b>Real Symmetric matrices:</b> Properties, definiteness, quadratic forms, applications.</li> </ul>			
<p><b>Recommended Texts:</b></p> <ul style="list-style-type: none"> <li>• Gilbert Strang, Introduction to Linear Algebra, 5<sup>th</sup> edition, (2010), Cambridge Press.</li> <li>• David C. Lay, S.R. Lay &amp; J. McDonald, Linear Algebra and its Applications, 5<sup>th</sup> edition, (2012), Pearson.</li> <li>• David Poole, Linear Algebra: A Modern introduction, 4<sup>th</sup> edition, (2005), Cengage.</li> <li>• Thomas.S. Shores, Applied Linear Algebra and Matrix Analysis, (2007), Springer.</li> </ul>			
<b>Assessment</b>	<b>Percentage Mark</b>		
<b>In-course</b>			
Tutorials/Assignments	20		
Mid Semester Examination	30		
<b>End-semester</b>	50		